

Parametric Study of New Diaphragm Design Methods

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Introduction:

Large retail buildings and warehouses are typically a one-story concrete or masonry walled structure with a panelized wood roof. These buildings fall under the category of “RWFD”, or “Rigid Wall Flexible Diaphragm”. There are two preexisting methods that can be utilized in designing flexible diaphragms, but there is a third being introduced in the new ASCE 7-22 code. Given this code is unreleased, there really is no guidance to the user as far as which method is the most time efficient or cost effective.

Purpose:

The purpose of this project is to analyze the same building using each design method in ASCE 7-22 and determine or estimate which approach is appropriate. The next step is to alter small things like size, seismic zone, and Response Modification Factor to get further information. Each of these scenarios produces a design force and a nailing pattern for the panelized diaphragm. These nailing patterns can then be analyzed under a cost-effective scope by reviewing the quantity of nails.

Understanding Panelized Wood Diaphragms:

A “Panelized diaphragm”, also in this case a “Panelized roof”, has a few defining characteristics. These systems typically involve a repetitive layout of girders, purlins, and sub purlins. On top of these Purlins are 4' x 8' sheets of plywood that run with a continuous joint parallel to framing.

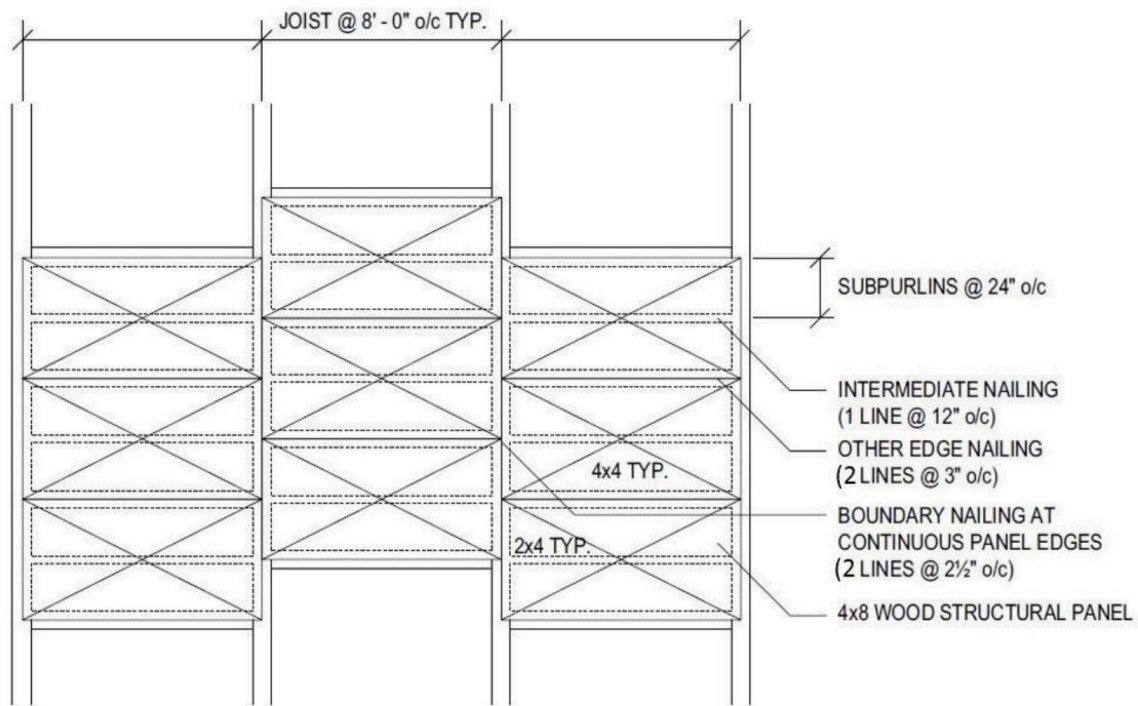


Figure 1: Panelized Wood Diaphragm components

There were a few assumptions made in order to analyze these hypothetical situations. Throughout all three methods, 15/32" thick, Structural I plywood with 10d common nails were assumed.

Design Methods:

The methods to compute the applied force in ASCE 7-22 roughly follow the same process, but there are some key differences to note.

1. Force determination per ASCE 7-22:**12.10.1:**

This method uses an R value of the vertical system used below the diaphragm in order to calculate the seismic coefficient C_s . 12.10.1 utilizes Eq. 12.8-2

$$C_s = \frac{S_{DS}}{\left(\frac{R}{I_e}\right)} \quad (12.8-2)$$

12.10.3:

This method used the same process as 12.10.1 to find C_s but takes things a step further by using an R value of 3 for the diaphragm. Then, a new C value is determined using Eq. 12.10-7

$$F_{px} = \frac{C_{px}}{R_s} w_{px} \quad (12.10-4)$$

Then,

For a 1-story building ($N = 1$), Figure 12.10-2 indicates $C_{px} = C_{pn}$ where

$$C_{pn} = \sqrt{(\Gamma_{m1} \Omega_0 C_s)^2 + (\Gamma_{m2} C_{s2})^2} \quad \text{ASCE 7 Eq 12.10-7}$$

For a 1-story building ($\Gamma_{m1} = 1.0$, $\Gamma_{m2} = 0$, $C_{s2} = 0$)

$R_s = 3$ (ASCE7-16 12.10-3)

12.10.4:

This method is new to the code. The purpose of this new introduction is to have the R value fully based on the appropriate lateral system and it's period. The R value is set at 4.5 and uses a new equation to solve for different forces in both the north-south and east-west direction.

$$F_{px} = C_{s-diaph}(w_{px}) \quad \text{ASCE 7 Eq 12.10-15}$$

$$C_{s-diaph} = \frac{S_{DS}}{R_{diaph} / I_e}$$

Maximum Cs-diaph value:

$$C_{s-diaph} = \frac{S_{DI}}{T_{diaph} (R_{diaph} / I_e)}$$

$$T_{diaph} = 0.002L_f$$

This Cs-diaph calculation needs to be done in both the East-West and North-South direction.

Another key difference in this method is a 1.5x design shear increase on 0.1L around the perimeter.

2. Building Characteristics

The building was then characterized with wall thicknesses, wall heights and weights. These would remain constant throughout each method. Using statics, the unit shear in both the north-south and east-west direction could be solved for.

3. Nail Zoning

The purpose of nail zoning is to decrease the number of nails as the force diminishes around the center of the diaphragms span. Using the same nailing for the diaphragm's entirety would be ineffective in both time and money. Using different nail spacings, different zones can be defined.

The newest version of the SPDWS includes lateral forces (seismic and wind) in SPDWS table 4.2A or 4.2B.

Table 4.2A Nominal Unit Shear Capacities for Sheathed Wood-Frame Diaphragms

Blocked Wood Structural Panel Diaphragms ^{1,2,3,4,6}																
Sheathing Grade	Common Nail Size ⁵ Length (in.) x Shank diameter (in.) x Head diameter (in.)	Minimum Nail Bearing Length in Framing Member or Blocking, ℓ _m (in.)	Minimum Nominal Panel Thickness (in.)	Minimum Nominal Width of Nailed Face at Adjoining Panel Edges and Boundaries (in.)	Nail Spacing (in.) at diaphragm boundaries (all cases), at continuous panel edges parallel to load (Cases 3 & 4), and at all panel edges (Cases 5 & 6)											
					6		4		2-1/2		2					
					Nail Spacing (in.) at other panel edges (Cases 1,2,3, & 4)											
					6		6		4		3					
					v _n (plf)	G _s (kips/in.)	v _n (plf)	G _s (kips/in.)	v _n (plf)	G _s (kips/in.)	v _n (plf)	G _s (kips/in.)				
OSB		PLY		OSB		PLY		OSB		PLY						
Structural I	6d (2 x 0.113 x 0.266)	1-1/4	5/16	2	520	15	12	700	8.5	7.5	1050	12	10	1175	20	15
				3	590	12	9.5	785	7.0	6.0	1175	9.5	8.5	1330	17	13
	8d (2-1/2 x 0.131 x 0.281)	1-3/8	3/8	2	755	14	11	1010	9.0	7.5	1485	13	10	1680	21	15
				3	840	12	10	1120	7.5	6.5	1680	10	9.0	1890	18	13
	10d (3 x 0.148 x 0.312)	1-1/2	15/32	2	895	24	17	1190	15	12	1790	20	15	2045	31	21
				3	1010	20	15	1345	12	9.5	2015	16	13	2295	26	18
Sheathing and Single-Floor	6d (2 x 0.113 x 0.266)	1-1/4	5/16	2	475	15	10	630	9.0	7.0	940	13	9.5	1065	21	13
				3	530	12	9.0	700	7.0	6.0	1065	10	8.0	1205	17	12
			3/8	2	520	13	9.5	700	7.0	6.0	1050	10	8.0	1175	18	12
				3	590	10	8.0	785	5.5	5.0	1175	8.5	7.0	1330	14	10
			3/8	2	670	15	11	895	9.5	7.5	1345	13	9.5	1525	21	13
				3	755	12	-9.5	1010	7.5	6.0	1510	11	8.5	1710	18	12
	8d (2-1/2 x 0.131 x 0.281)	1-3/8	7/16	2	715	14	10	950	8.5	7.0	1415	12	9.5	1610	20	13
				3	800	11	9.0	1065	7.0	6.0	1595	10	8.0	1805	17	12
			15/32	2	755	13	9.5	1010	7.5	6.5	1485	11	8.5	1680	19	13
				3	840	10	8.5	1120	6.0	5.5	1680	9.0	7.5	1890	15	11
	10d (3 x 0.148 x 0.312)	1-1/2	15/32	2	810	25	15	1080	15	11	1610	21	14	1835	33	18
				3	910	21	14	1205	12	9.5	1820	17	12	2060	28	16
			19/32	2	895	21	14	1190	13	9.5	1790	18	12	2045	28	17
				3	1010	17	12	1345	10	8.0	2015	14	11	2295	24	15

Table 4.2B Nominal Unit Shear Capacities for Sheathed Wood-Frame Diaphragms

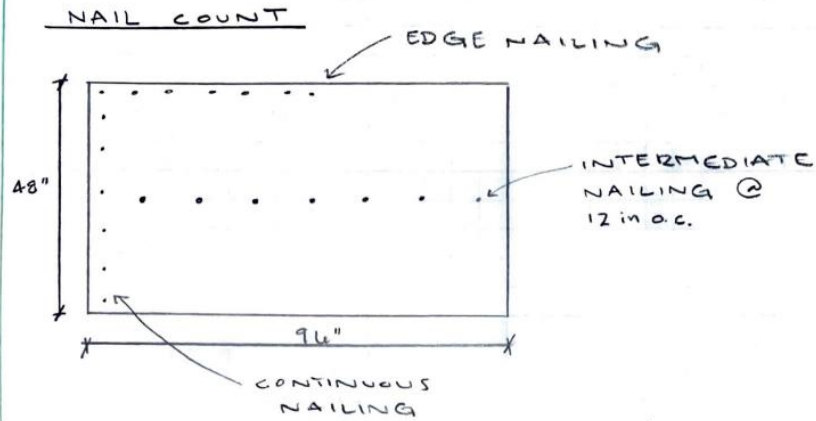
Blocked Wood Structural Panel Diaphragms Utilizing Multiple Rows of Fasteners (High Load Diaphragms) ^{1,2,3,4,6}																	
Sheathing Grade	Common Nail Size ⁵ Length (in.) x Shank diameter (in.) x Head diameter (in.)	Minimum Nail Bearing Length in Framing Member or Blocking, ℓ_m (in.)	Minimum Nominal Panel Thickness (in.)	Minimum Nominal Width of Nailed Face at Adjoining Panel Edges and Boundaries (in.)	Lines of Nails	Nail Spacing (in.) at diaphragm boundaries (all cases), at continuous panel edges parallel to load (Cases 3 & 4), and at all panel edges (Cases 5 & 6)											
						4		4		2-1/2		2-1/2					
						Nail Spacing (in.) at other panel edges (Cases 1, 2, 3, & 4)											
						6		4		4		3					
						v_n (plf)	G_n (kips/in.)	v_n (plf)	G_n (kips/in.)	v_n (plf)	G_n (kips/in.)	v_n (plf)	G_n (kips/in.)				
	OSB	PLY	OSB	PLY	OSB	PLY	OSB	PLY									
Structural I	10d (3 x 0.148 x 0.312)	1-1/2	15/32	3	2	1695	40	24	2280	53	28	2450	50	27	3220	56	29
				4	2	1960	33	21	2560	48	27	2815	44	25	3610	51	28
				4	3	2450	50	27	3415	61	30	3600	59	30	3905	70	32
			19/32	3	2	1875	36	23	2465	52	29	2700	47	26	3515	54	29
				4	2	2185	29	20	2770	46	27	3110	40	25	4030	48	27
				4	3	2700	47	27	3695	60	31	3935	57	30	5010	64	32
			23/32	3	2	2045	33	22	2675	50	29	2940	45	27	3820	53	30
				4	2	2395	26	19	2995	43	27	3390	37	24	4380	45	27
				4	3	2940	45	27	4005	59	32	4270	56	31	5040	68	34
Sheathing and Single-Floor	10d (3 x 0.148 x 0.312)	1-1/2	15/32	3	2	1470	43	21	2030	55	23	2140	53	23	2830	58	24
				4	2	1695	36	19	2280	50	22	2450	46	21	3095	55	23
				4	3	2140	53	23	3040	62	24	3165	61	24	3345	72	26
			19/32	3	2	1820	34	19	2410	49	23	2620	45	22	3430	52	23
				4	2	2115	27	16	2700	43	21	3025	37	20	3835	46	22
				4	3	2620	45	22	3610	57	24	3820	55	24	4160	68	26
			23/32	3	2	1990	30	18	2620	46	23	2855	42	22	3740	50	24
				4	2	2310	24	16	2940	40	21	3290	34	20	4045	45	23
				4	3	2855	42	22	3920	56	25	4145	53	25	4380	71	28

These forces must be divided by 2.8 to give a design value. Using similar triangles, zoning can be determined and aligned with framing transitions to the nearest 8' in the north-south direction and 4' in the east-west direction. These zones may overlap in the north-south and east-west direction, which must be accounted for, so the area isn't double counted. At this point, the area of each zone can be converted into a quantity of nails by looking at the edge nailing, continuous nailing, and intermediate nailing in SPDWS table 4.2A or 4.2B.

The quantity of nails could be further analyzed and converted to a dollar value if regional pricing is available.

There are 7 zones total defined in this process:

Zone	Nominal Panel Thickness	Framing width (nominal)	Lines of Nails	Nominal Shear	Nail Spacing(in.) at diaphragm boundaries, at continuous panel edges parallel to load, and at all panel edges	Nail Spacing(in.) at other panel edges
Zone 7	19/32	4	2	5010	2.5	3
Zone 6	15/32	4	2	3610	2.5	3
Zone 5	15/32	4	2	2815	2.5	4
Zone 4	15/32	3	1	2295	2	3
Zone 3	15/32	2	1	1790	2.5	4
Zone 2	15/32	2	1	1190	4	6
Zone 1	15/32	2	1	895	6	6

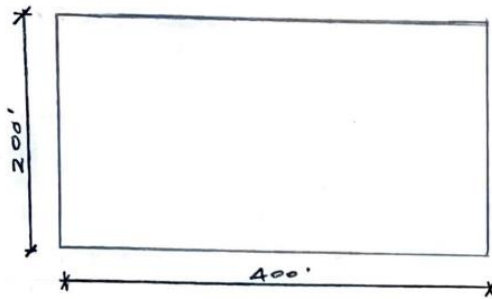
4. Nail count:

ZONE	CN	EN	FIN	SUM
7	$48/2.5 = 19.2$	$96/3 = 32$	7	$2[(2 \times 20) + (2 \times 32)] + 7 = 215$
6	$48/2.5 = 19.2$	$96/3 = 32$	7	215
5	$48/2.5 = 19.2$	$96/4 = 24$	7	$2[(2 \times 20) + (2 \times 24)] + 7 = 183$
4	$48/2 = 24$	$96/3 = 32$	7	$2(2 \times 24) + (2 \times 32) + 7 = 119$
3	$48/2.5 = 19.2$	$96/4 = 24$	7	$2(2 \times 20) + (2 \times 24) + 7 = 95$
2	$48/4 = 12$	$96/6 = 16$	7	$2(2 \times 12) + (2 \times 16) + 7 = 63$
1	$48/6 = 8$	$96/6 = 16$	7	$2(2 \times 8) + (2 \times 16) + 7 = 55$

Hand Calculations:

To verify thorough understanding of each method, I went through each by hand. Reviewing both examples and solutions, I was able to recreate three examples with the same building but using a different method each time. This process provided me a reference to building the excel spreadsheet.

12.10.1


 $S_{DS} = 1$ $S_{D1} = .6$ SEISMIC CAT. D
RISK CAT II $p = 1$

JOISTS @ 8' O.C.

WALLS = 150 PCF

 $t = 9.25''$

DF/L DL = 12 PSF

 $h = 30'$ $h_{PAZADCT} = 33'$ BASE SHEAR

$$V = C_s W$$

$$C_s = \frac{S_{DS}}{R/I_e}$$

$$S_{DS} = 1 \text{ (GIVEN)}$$

$$R = 4 \text{ (ASCE 12.2.1 INTERMEDIATE PRECAST)}$$

$$I_e = 1 \text{ (ASCE 1.5.2)}$$

$$C_s = \frac{1}{(4/1)} = .25$$

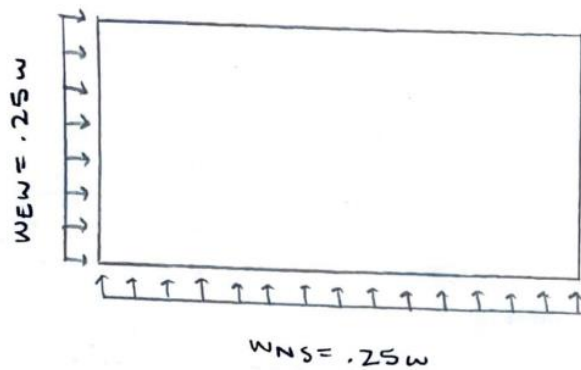
DIAPHRAGM FORCE

$$F_{px} = .25 W$$

$$F_{pMAX} = .4 S_{DS} I_e W = .4 (1) (1) W = .4 W$$

$$F_{pMIN} = .2 S_{DS} I_e W = .2 (1) (1) W = .2 W$$

$$.2 W \leq .25 W \leq .4 W \quad \checkmark$$



$$D = 12 \text{ PSF}$$

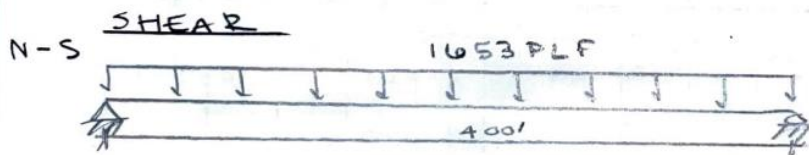
$$\text{WALL WEIGHT} = 150 \left(\frac{9.25}{12} \right) = 116 \text{ PSF}$$

$$W_{NS} = .25(12)(200) + 2 \left[(.25)(116)(33) \left(\frac{33}{2} \right) \left(\frac{1}{30} \right) \right]$$

$$W_{NS} = 1653 \text{ PLF}$$

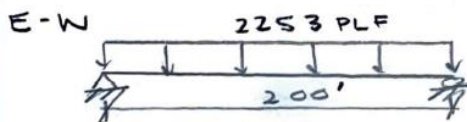
$$W_{EW} = .25(12)(400) + 2 \left[(.25)(116)(33) \left(\frac{33}{2} \right) \left(\frac{1}{30} \right) \right]$$

$$W_{EW} = 2253 \text{ PLF}$$



$$\frac{1653(400)}{2} = 330.6 \text{ K}$$

$$V = \frac{330.6}{200} = 1653 \text{ PLF}$$



$$\frac{2253(200)}{2} = 225.3 \text{ K}$$

$$V = \frac{225.3}{400} = 563 \text{ PLF}$$

ZONES → SEE TABLE

$$5010 / 2.8 = 1790 \text{ PLF}$$

$$3610 / 2.8 = 1290 \text{ PLF}$$

$$2815 / 2.8 = 1005 \text{ PLF}$$

$$2295 / 2.8 = 820 \text{ PLF}$$

$$1790 / 2.8 = 640 \text{ PLF}$$

$$1190 / 2.8 = 425 \text{ PLF}$$

$$895 / 2.8 = 320 \text{ PLF}$$

ZONE 7:

$$.7(330,600 - (1653)x) = 1790(200)$$

$$x = -109 \rightarrow 0$$

ZONE 6:

$$.7(330,600 - (1653)x) = 1290(200)$$

$$x = -23 \rightarrow 0$$

ZONE 5:

$$.7(330,600 - (1653)x) = 1005(200)$$

$$x = 26 \rightarrow 32' \text{ (ROUND TO NEAREST 8')}$$

ZONE 4:

$$.7(330,600 - (1653)x) = 820(200)$$

$$x = 58 \rightarrow 64'$$

ZONE 3:

$$.7(330,600 - (1653)x) = 640(200)$$

$$x = 89 \rightarrow 96'$$

ZONE 2:

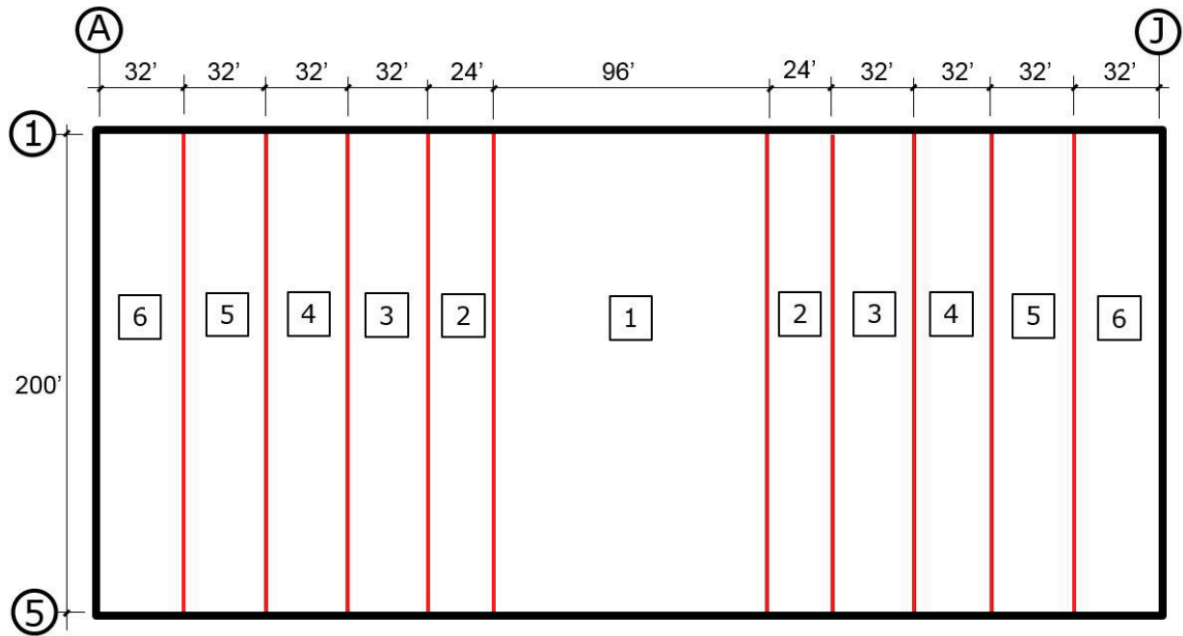
$$.7(330,600 - (1653)x) = 425(200)$$

$$x = 126 \rightarrow 128'$$

ZONE 1:

$$.7(330,600 - (1653)x) = 320(200)$$

$$x = 145 \rightarrow 152'$$



Excel:

In order to avoid recalculating dozens of archetypes, I created an excel spreadsheet that includes each method. Each one of these spreadsheets includes the method to finding C_s , calculation of the unit shear, nail zoning and nail counting. Having the ability to change the diaphragm's size, R value and "Seismic Design Category" allowed for a comparison of the methods. Each method has maximum and minimum limits on C_s values, meaning that the graphic analysis shows flatlines before and after certain points.

The purpose of the Excel was to attain a visual on C_s values and nail count. Putting this data side by side on a scatter plot displayed which method becomes more efficient at what point.

ASCE 12.10.1 Diaphragm Design

*one story wood framed building

Base Shear Coefficient

$S_{ds} =$	1	
$S_{d1} =$	0.6	
$S_1 =$	0.5	
$R =$	4	(ASCE 12.2.1)
$I_e =$	1	(ASCE 1.5.2)
$C_s =$	0.25	

Max and Min C_s

Determine Period

$C_T =$	0.02	(ASCE 12.8.2)
$h =$	32.5	(Given)
$x =$	0.75	(ASCE 12.8.2)
$T =$	0.272234	

$$C_{smax} = 0.550996$$

$$C_{smin} = 0.044$$

Diaphragm Force

$F_{px} =$	0.25	(w_{px})
$F_{pmax} =$	0.4	
$F_{pxmin} =$	0.2	
$F_{final} =$	0.25	

Weight of Walls

conc. =	150	pcf
t =	9.25	in
height =	33	ft
parapet =	3	ft
NS dimension =	200	ft
EW dimension =	400	ft
Dead Load	12	psf
$W_{ns} =$	1649.297	
$W_{ew} =$	2249.297	

Unit Shear

$V_{maxns} =$	329859.4	
$V_{maxew} =$	224929.7	
Unit Shear ns =	1649.297	
Unit Shear ew =	562.3242	
.7 * $U_{ns} =$	1154.508	apply .7 from ASCE Load combo
.7 * $U_{ew} =$	393.627	

Zone Determination

Typical V_{allow}

5010 lbs.
 3610 lbs.
 2815 lbs.
 2295 lbs.
 1790 lbs.
 1190 lbs.
 895 lbs.

N-S

Zone	x(ft)	Round up to Nearest 8ft	Distances
Zone 7	-110	-104	0
Zone 6	-23	-16	0
Zone 5	26	32	32
Zone 4	58	64	64
Zone 3	89	96	96
Zone 2	126	128	128
Zone 1	145	152	152

E-W

Zone	x(ft)	Round up to Nearest 4ft	Distances
Zone 7	-355	-352	0
Zone 6	-228	-224	0
Zone 5	-155	-152	0
Zone 4	-108	-104	0
Zone 3	-62	-56	0
Zone 2	-8	0	0
Zone 1	19	24	24

Nail Count

Zone 7 215 Nails per sheet of ply

Zone 6 215 Nails per sheet of ply

Zone 5 183 Nails per sheet of ply

Zone 4 119 Nails per sheet of ply

Zone 3 95 Nails per sheet of ply

Zone 2 63 Nails per sheet of ply

Zone 1 55 Nails per sheet of ply

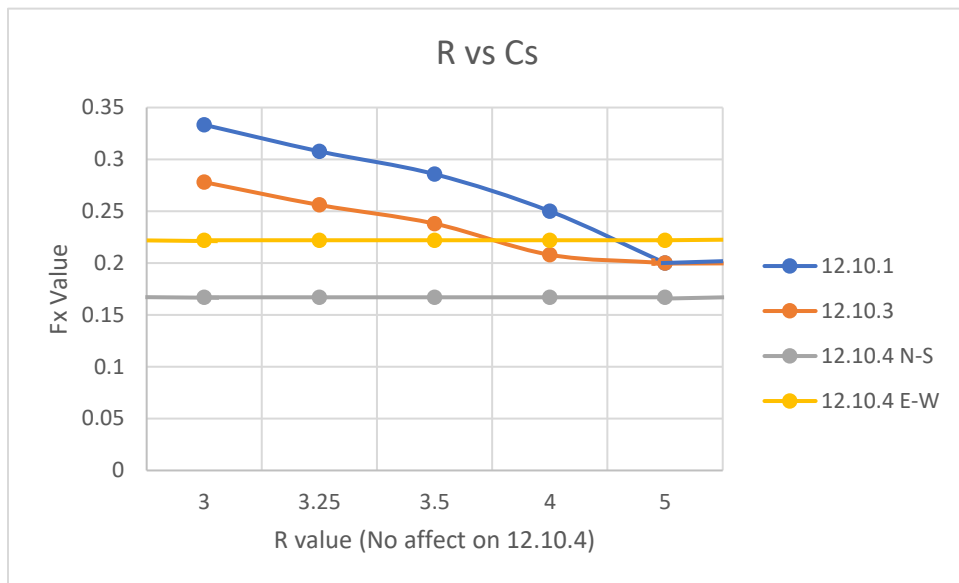
Zone	Area of Zone SF	Sheets of Plywood	# of Nails per Zone
Zone 7	0	0	0
Zone 6	12800	400	86000
Zone 5	12800	400	73200
Zone 4	12800	400	47600
Zone 3	12800	400	38000
Zone 2	14208	444	27972
Zone 1	14592	456	25080
TOTAL			297852

Results:

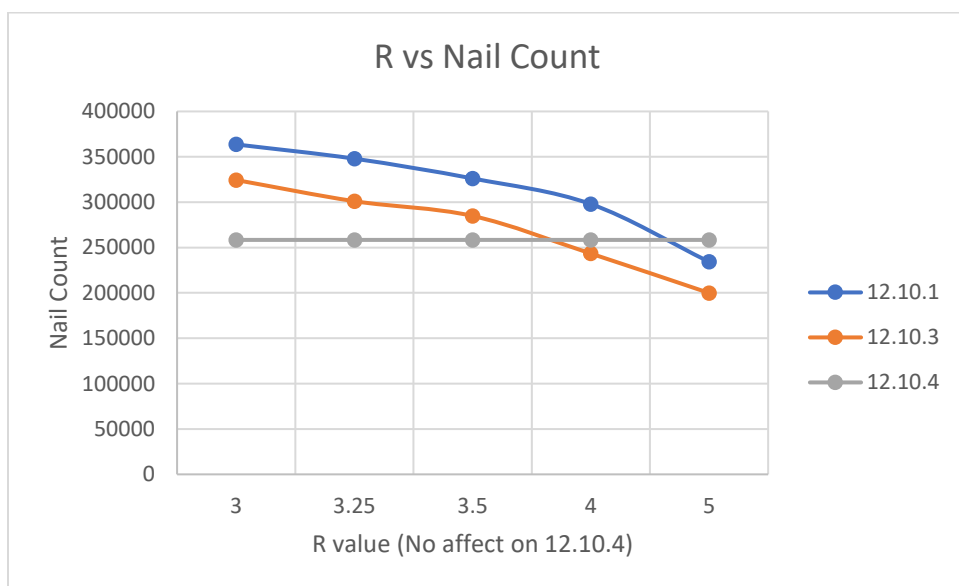
There were three variables we were interested in changing. The first was the R value, then the diaphragm length, then the seismic values S_d s and S_{d1} which could be implemented in unison with the two previous studies. This leaves us with four tables to analyze and plot: Various R values in a high seismic zone, various R values in a low seismic zone, various lengths in a high seismic zone and various lengths in a low seismic zone.

1. R values

The R values being inputted into each method ranged from 3 to 5. It was determined that only certain systems could be implemented in this building type, meaning that only a total of five R values would be applicable based on a study of ASCE 7 Table 12.2-1.

Various R Values (high seismic)

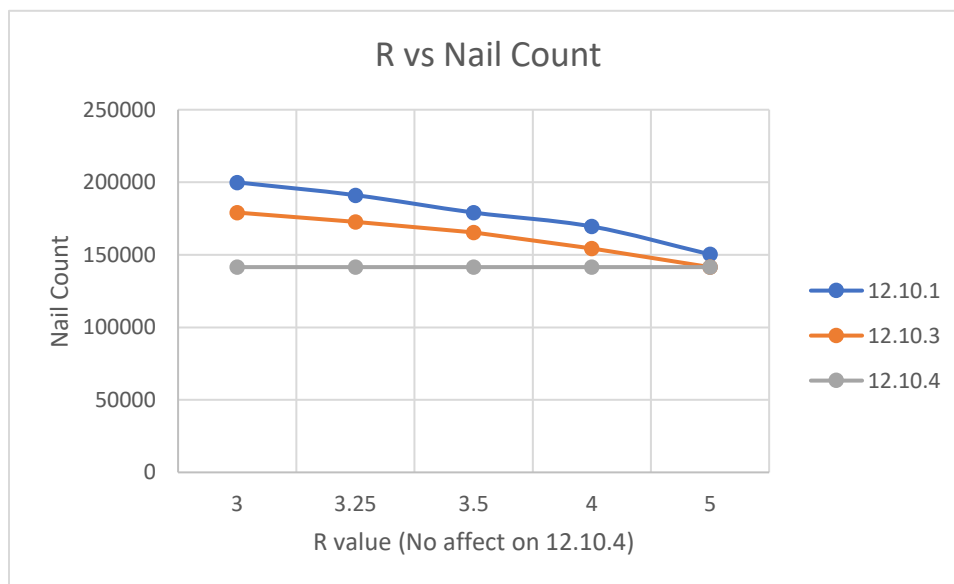
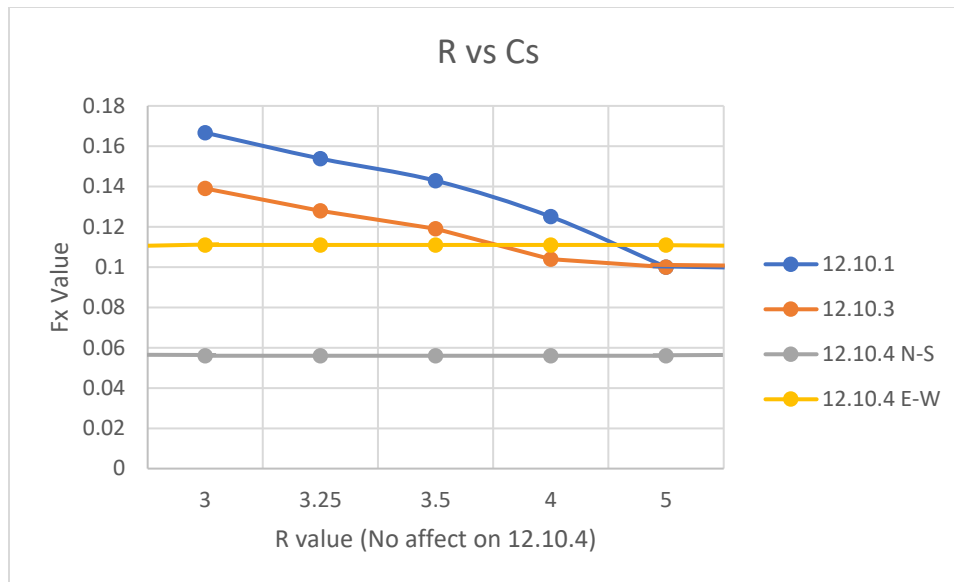
R Value Case Study (Dmax)			Sds = 1	Sd1 = .6				
R Values	12.10.1 Method Fx	12.10.1 Nail Count	R Value	12.10.3 Method Fx	12.10.3 Nail Count	R Value	12.10.4 Method Fx N-S	12.10.4 Nail Count E-W
3	0.3333	363620	For Method 12.10.3, the Rs value is fixed at R = 3	0.278	324372	For Method 12.10.4, the R value is fixed at R = 4.5	0.167	258400
3.25	0.307692	347900		0.256	301052		0.167	258400
3.5	0.285714	326092		0.238	284796		0.167	258400
4	0.25	297852		0.208	243356		0.167	258400
5	0.2	234300		0.2	199900		0.167	258400



It can be seen in the graphs above that in high seismic zones, 12.10.3 is consistently applying less force than 12.10.1. Both 12.10.1 and 12.10.3 have upper and lower limits. The upper limit does not apply to the R values we are analyzing, but after the R value hits 5, the lower limit ($C_s=.2$) applies, flatlining both 12.10.1 and 12.10.3. As the R value increases, it is seen that eventually, 12.10.3 and 12.10.1 use less nails than 12.10.4. In a high seismic zone, we can conclude that 12.10.4 is the most efficient, until R equals 5, then 12.10.3 becomes more efficient.

Various R Values (moderate seismic)

R Value Case Study (Cmax)			Sds = .5	Sd1 = .2					
	12.10.1	12.10.1 Nail		12.10.3 Method	12.10.3 Nail		12.10.4 Method Fx		12.10.4 Nail
R Values	Method Fx	Count	R Value	Fx	Count	R Value	N-S	E-W	Count
3	0.166667	199900	For Method 12.10.3, the R value is fixed at R = 3	0.139	179100	For Method 12.10.4, the R value is fixed at R = 4.5	0.056	0.111	141500
3.25	0.153846	191100		0.128	172700		0.056	0.111	141500
3.5	0.142857	179100		0.119	165500		0.056	0.111	141500
4	0.125	169500		0.104	154300		0.056	0.111	141500
5	0.1	150300		0.1	141500		0.056	0.111	141500



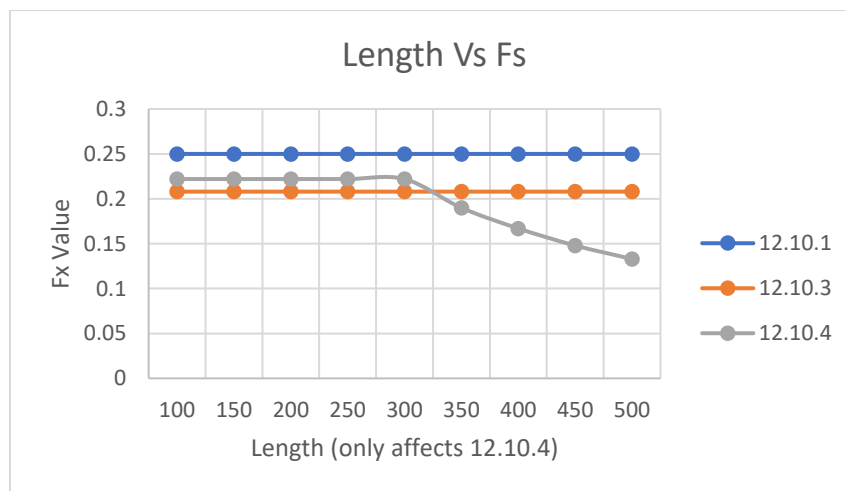
It can be seen in the graphs above that in low seismic zones, 12.10.3 is consistently applying less force than 12.10.1. Both 12.10.1 and 12.10.3 have upper and lower limits. The upper limit does not apply to the R values we are analyzing, but after the R value hits 5 the lower limit ($C_s=1$) applies, flatlining both 12.10.1 and 12.10.3. As the R value increases 12.10.4 uses consistently less nails than the prior methods, deeming 12.10.4 the most efficient in low seismic zones.

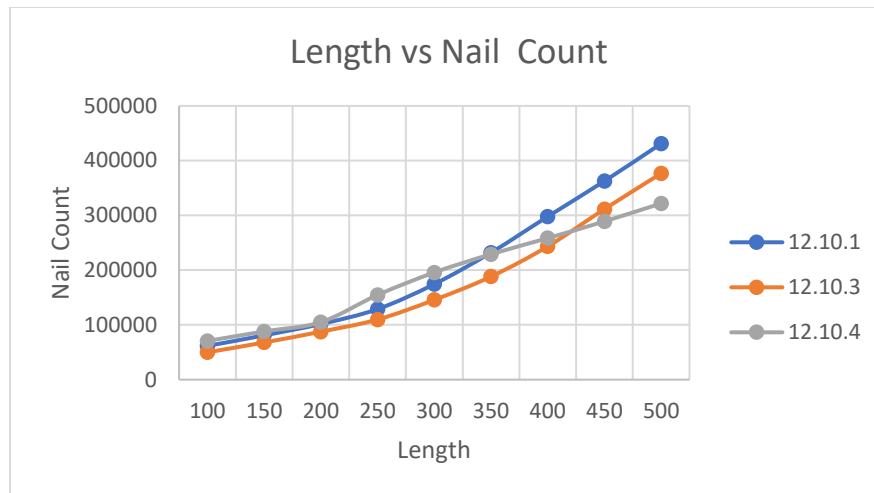
2. Diaphragm Length

The span on a diaphragm changes per design. The length will change the size and quantity of nailing zones and will have no affect on the applied forces in 12.10.1 and 12.10.3. 12.10.4 is the only method in which the force will be directly affected.

Various Lengths (high seismic)

Change in Diaphragm Length Case Study (Dmax)				Sds = 1	Sd1 = .6	
Diaphragm Length	12.10.1 Method Fx	12.10.1 Nail Count	12.10.3 Method Fx	12.10.3 Nail Count	12.10.4 Method Fx	12.10.4 Nail Count
100	0.25	61575	0.208	49975	0.222	70703
150	0.25	80899	0.208	67923	0.222	88082
200	0.25	101582	0.208	87610	0.222	105110
250	0.25	128890	0.208	109802	0.222	154722
300	0.25	174501	0.208	145717	0.222	195773
350	0.25	232036	0.208	188269	0.19	229113
400	0.25	297852	0.208	243356	0.167	258400
450	0.25	362672	0.208	311488	0.148	289044
500	0.25	431075	0.208	376675	0.133	321839





Since 12.10.4 is the only method whose force is effected by the diaphragms length, it will be the only one changing on the top graph. The force's maximum value is $F_s=.222$ according to the equation 12.10-16a.

$$C_{s-diaph} = \frac{S_{DS}}{R_{diaph} / I_e}$$

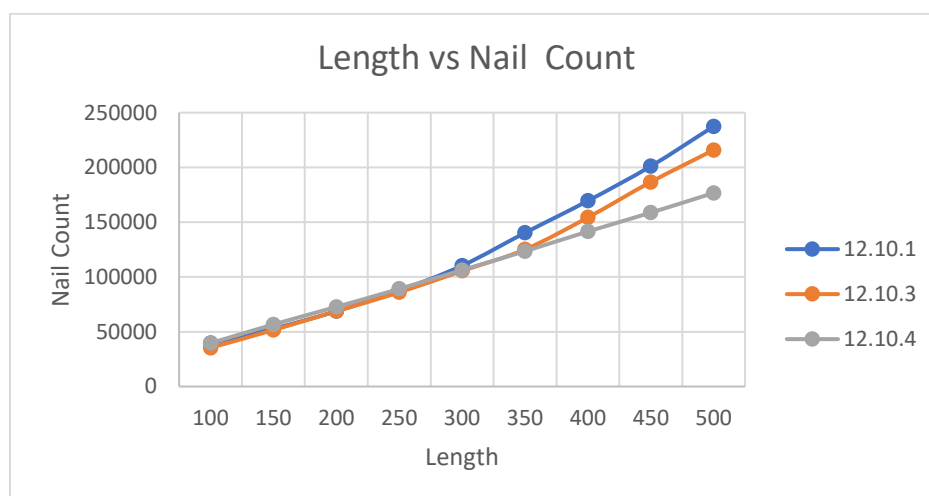
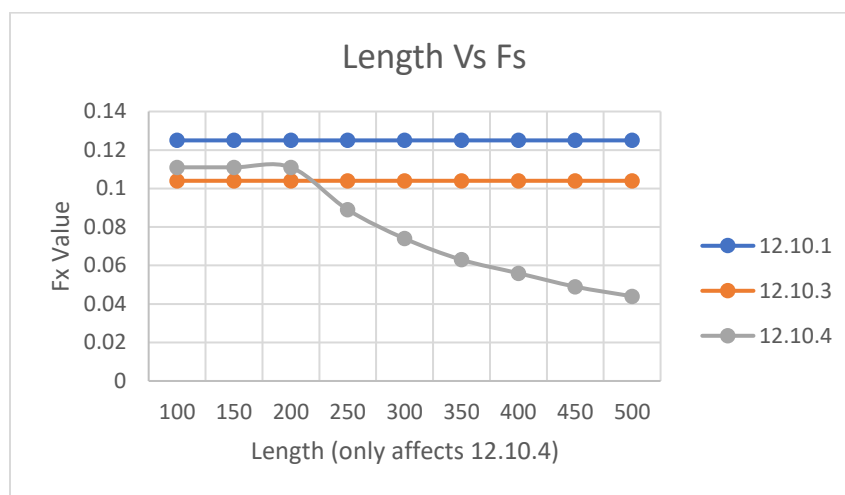
This value is consistent from 100ft to 300ft. This value begins to decrease after 300ft because the period of the diaphragm is increasing. Looking at 12.10.4's formula for F_s again,

$$C_{s-diaph} = \frac{S_{D1}}{T_{diaph} (R_{diaph} / I_e)}$$

we can see why the F_s value decreases. As far as cost, 12.10.4 uses the most amount of nails until about 350ft, then the least amount of nails after 425ft. 12.10.4 then becomes more efficient for this case illustrating high seismic.

Various Lengths (moderate seismic)

Change in Diaphragm Length Case Study (Cmax)				Sds = .5	Sd1 = .2	
Diaphragm Length	12.10.1 Method Fx	12.10.1 Nail Count	12.10.3 Method Fx	12.10.3 Nail Count	12.10.4 Method Fx	12.10.4 Nail Count
100	0.125	39575	0.104	35375	0.111	39575
150	0.125	52763	0.104	51563	0.111	56663
200	0.125	68750	0.104	68750	0.111	72670
250	0.125	87538	0.104	85938	0.089	89146
300	0.125	110325	0.104	105525	0.074	106325
350	0.125	140313	0.104	125113	0.063	123513
400	0.125	169500	0.104	154300	0.056	141500
450	0.125	201088	0.104	186688	0.049	158688
500	0.125	237475	0.104	215875	0.044	176675



Again, 12.10.4 is the only method whose force is affected by the diaphragm's length, it will be the only one changing on the top graph. The force's maximum value is $F_s = .111$. This value is

consistent from 100ft to 200ft. This value begins to decrease after 200ft because the period of the diaphragm is increasing. As far as cost, all are about the same until about 350ft, then 12.10.4 becomes most efficient.

Global Impact/Influence:

Though there are different types of building styles and types all over the globe, there are always some staples that we as engineers continue to see. The typical warehouse design for your department store is common everywhere. This design happens to fall under the category of panelized wood diaphragms. The design decisions made for “Rigid wall Flexible Diaphragm” not only can save peoples lives by ensuring the correct method is used, but can decrease the cost of the building, making the design more applicable in places with less funding.

Cultural Impact/Influence:

. Using this research to create a more cost-efficient building allows for more funding to go elsewhere rather than nailing materials. American culture has unique priorities, in the fact that we put money before many things. From a young age we are told to do well in school, to then go to college, and then get a well-paying job. Through all this hard work, the controlling power is money. The fact is that no one wants to spend their hard-earned money on unnecessary things, let alone unnecessary building materials. I believe it is our job as engineers to create the most sustainable and efficient building, which will not only improve the engineers reputation but the satisfaction of his client.

Social Impact/Influence:

Not everyone knows all the details that go into designing a building. Most don't realize the little tweaks and changes can make a large impact on design and costs. As a client, or the owner of a building, they want to ensure that their money is being used effectively. These buildings are most of the time rather large as well. Occupants of local buildings notice when big warehouses are being built. It is important to people around this new site that the building is being built properly and cost effectively. If neighboring groups can understand the building is being built carefully and cost effectively, it may bring them peace. Most people aren't super happy about large new developments like warehouses. Having money to spare to make the building mesh with its environment will create a happier and more welcoming community. There is also the other argument of under designing buildings. The reason we have codes to follow is to prevent collapse and potential danger. Clients who do not understand engineering may insist on alternate solutions. It is crucial we find a balance between cost and design, appealing both to the best of our abilities.

Environmental Impact/Influence:

Using less material is always better for a project. The less material used means the demand for this material is decreasing. The introduction of this new method could mean that globally, less nails are used, decreasing the demand. This means that factories will be producing less, then by default, decreasing the amount of pollution from production as well as decreasing the amount of packaging for the item. If we as engineers can gain knowledge and make these diaphragms larger spans, we could also reduce the amount of shear walls and other systems. Decreasing any production and material is better for the environment, something we must consider and preserve no matter what.

Economic Impact/Influence:

The main purpose of this research was to find the most effective method, including the new 12.10.4 method to design this specific type of system. This system is widely used all over the country. The specific research on this design will enable the user to use less materials, making buildings more cost effective. Though there are other ways to cut costs in buildings, each one is crucial and is what sets engineers apart. Implementing the correct diaphragm design in this type of building could cut the number of nails by tens of thousands.

Lifelong Learning Statement

Engineers will never stop trying to find more effective ways to design. It's an engineer's job to create a solution upon a problem. Sometimes there isn't even a problem, but there is a more effective way to go about something. Understanding these three methods of diaphragm design has made me really think about every building element. There is always going to be more than one way to design something, but there will most of the time be one that's better than the others. Being better than the others means using less material, less money and less time. Finding a way to do all three of these things is what sets apart engineers from good engineers. I've held myself accountable in this project, making sure that every step of the process has some sort of reference to the code or hand calculation to back things up. The hardest problem I had to solve was coding things in excel and making sure the right areas for zoning were produced. This took trial and error and lots of "if" statements.

Given this method is new, there was some new code I had to dive into. Reading unreleased code can be a bit daunting. I learned the importance of diving into these new things and trying to understand why they are being introduced. Though not in the report, I was able to understand a lot of the aspects as to why we need these new methods. Some engineers like to cut corners and though it doesn't always lead to collapse, it's not upholding the Engineer's core values. The reason that we need new code is because, as each mistake is made, we can update our rules and equations. I hope that my research here is able to guide future designers and help them create a cost effective and environmentally friendly structure.