

Topologically ordered phases of smectics confined in anisotropic random media: smectic Bragg glasses

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Abstract. We report the existence of two new topologically ordered glass phases of smectics in *strained* aerogel. In contrast to the case of *unstrained* aerogel, we find compelling theoretical arguments that a smectic in uniaxially stretched aerogel exhibits, for homeotropic nematic–aerogel alignment, a ‘smectic Bragg glass’ in the universality class of the ‘ XY Bragg glass’. On the other hand, a uniaxial compression, with homeotropic alignment, leads to an entirely novel type of anisotropic smectic *elastic* glass phase that we call the ‘ $m = 1$ Bragg glass’. This latter phase exhibits anomalous elasticity, characterized by exponents that we calculate to high precision. We present a phase diagram for the system in the aerogel density–strain parameter space, which should be accessible experimentally. We also make numerous other scaling predictions for experimentally observable quantities.

The effect of confining liquid crystals to random porous structures continues to be a fascinating area of active research [1]. It was shown in a recent theoretical analysis that arbitrarily weak quenched disorder arising from such confinements destroys conventional (quasi-) long-ranged translational smectic order in 3D [2]. A translationally disordered but topologically ordered ‘smectic Bragg glass’ (SBG) phase was proposed as the new thermodynamically distinct low-temperature phase in these smectic systems. Unfortunately, it proved impossible to make a compelling theoretical argument for the stability of such a glass phase in quenched random *isotropic* structures, e.g. aerogel.

We show in this article that such a compelling argument *can* be made for smectics in a *uniaxially strained* aerogel, which *certainly* exhibit two types of low- T BG phase, that are thermodynamically distinct from the high- T nematic (or perhaps ‘nematic elastic glass’ (NEG)) and isotropic liquid phases. For parallel nematogen–surface alignment (assumed throughout), a stretch (figure 1(a)) of the aerogel will lead to an ‘ $XYBG$ ’ in the isotropic universality class of randomly pinned vortex lattices, CDWs, and random-field XY magnets (RFX Y) [3], while a compression (figure 1(b)) will lead to a novel ‘ $m = 1$ BG’, with triaxially anisotropic scaling, that should be similar to that of a discotic in *isotropic* aerogel [4]. For homeotropic alignment, the phases reverse with respect to stretch and compression.

We predict two possible low, constant- T phase diagrams, depending on whether the SBG is stable (figure 2(b)) or not (figure 2(a)).

Recent experiments [5] suggest the former possibility. The loci of the phase boundaries in figure 2(a), for small strain, σ , are *universal* and satisfy

$$\Delta(\sigma) \propto (K^3 B)^{1/2} (\sigma/B)^\rho \quad (1)$$

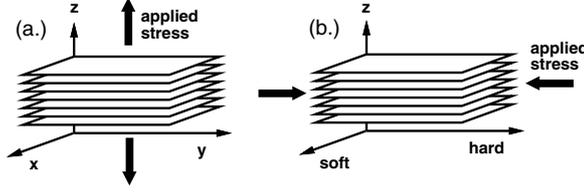


Figure 1. (a) Stretch along the \hat{z} -direction. (b) Compression along the \perp direction.

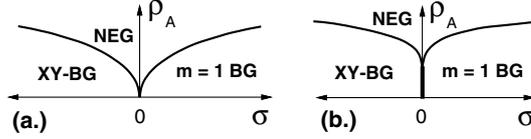


Figure 2. Two possible phase diagram topologies, depending on whether SBG is stable for isotropic confinement ($\sigma = 0$).

where σ is proportional to the uniaxial stress applied to the aerogel fibres, Δ is a measure of the tilt disorder, B and K are bulk smectic elastic moduli, and ρ is a universal exponent expressible in terms of anomalous elasticity exponents $\tilde{\eta}_B$ and $\tilde{\eta}_K$ for *unstrained* aerogel. Our best estimate is $\rho \approx 2/5$ in 3D [2].

Our model of the smectic in aerogel treats the local smectic layer displacement $u(\mathbf{r})$ and the local nematic director $\hat{\mathbf{n}}(\mathbf{r})$ as the only important fluctuating quantities, ignoring fluctuations in the magnitude $|\psi|$ of the smectic order parameter $\psi = |\psi|e^{-iq_0u(\mathbf{r})}$ about its mean $|\psi_0|$.

The important effects of the aerogel are *completely* described by only two disorder types. One is the random-field translational disorder

$$\delta H_{rf} = \Re \int d^d \mathbf{r} |\psi_0| V(\mathbf{r}) e^{iq_0 u(\mathbf{r})}$$

coupling to $u(\mathbf{r})$, with $V(\mathbf{r})$ a complex random potential which at long length scales can be accurately represented as zero-mean and *short-ranged* [2] Gaussian statistics with $\overline{V(\mathbf{r})V^*(\mathbf{r}')} = \tilde{\Delta}_V \delta^d(\mathbf{r} - \mathbf{r}')$. The other type of disorder is the random-tilt orientational disorder given by

$$\delta H_t = - \int d^d \mathbf{r} (\mathbf{g}(\mathbf{r}) \cdot \hat{\mathbf{n}})^2$$

describing the tendency of nematogens $\hat{\mathbf{n}}(\mathbf{r})$ to align along the local aerogel strand directed along $\mathbf{g}(\mathbf{r})$, and at long length scales is completely described by *short-ranged* [2] correlations $\overline{g_i(\mathbf{r})g_j(\mathbf{r}')} = (1/2)(\sqrt{\Delta}\delta_{ij} - \gamma e_i e_j)\delta^d(\mathbf{r} - \mathbf{r}')$, with $\hat{\mathbf{e}}$ the uniaxial direction (i.e., the axis of the strain applied to the aerogel). In the above, $\tilde{\Delta}_V = \Gamma_u (a_f/L_f)^{d-d_f} (1/(a_f q_0))$, $\Delta = \Gamma_n (a_f/L_f)^{d-d_f}$, d_f is the aerogel's fractal dimension for length scales $a_f < r < L_f$, and Γ_u , Γ_n , γ are phenomenological parameters, with γ the anisotropy parameter which at small strains is proportional to $\sqrt{\Delta}$ and the stress σ applied to the aerogel. $\gamma < 0$ for a stretch illustrated in figure 1(a).

Assuming (as we will verify *a posteriori*) that fluctuations in $\hat{\mathbf{n}}$ from a perfect alignment with the smectic layer normal (taken along \hat{z}) are small allows us to integrate $\hat{\mathbf{n}}$ out of the partition function, with the only effect being the replacement $\delta \mathbf{n} \rightarrow \nabla_{\perp} u$ [2]. The resulting

Hamiltonian is given by

$$H = \int d^d \mathbf{r} \left[\frac{K}{2} (\nabla_{\perp}^2 u)^2 + \frac{B}{2} \left(\partial_z u - \frac{1}{2} (\nabla_{\perp} u)^2 \right)^2 + (g_z(\mathbf{r}) \nabla_{\perp} u)^2 - (\mathbf{g}(\mathbf{r}) \cdot \nabla_{\perp} u)^2 - 2g_z(\mathbf{r}) \mathbf{g}(\mathbf{r}) \cdot \nabla_{\perp} u - |\psi_0| \Re \left\{ V(\mathbf{r}) e^{iq_0 u(\mathbf{r})} \right\} \right]. \quad (2)$$

The form of the anharmonic elastic terms is dictated by the underlying invariance of the *bulk* smectic phase under rotations about any axis lying in the \mathbf{r}_{\perp} -plane.

After introducing n replica fields u_{α} and integrating out the disorder, we obtain the Hamiltonian whose form strongly depends on the type of uniaxial strain. *Stretching* the aerogel strands will cause the layer normal, \hat{z} , to align with \hat{e} (figure 1(a)). Smectics confined inside this structure, to harmonic order in elasticity (with elastic anharmonicity irrelevant), are described by

$$H_{XY} = \frac{1}{2} \int d^d \mathbf{r} \sum_{\alpha=1}^n [K (\nabla_{\perp}^2 u_{\alpha})^2 + B (\partial_z u_{\alpha})^2 + |\gamma| (\nabla_{\perp} u_{\alpha})^2] - \frac{1}{2T} \int_r \sum_{\alpha, \beta=1}^n \left[(\Delta + \sqrt{\Delta} |\gamma|) (\nabla_{\perp} u_{\alpha}) \cdot (\nabla_{\perp} u_{\beta}) + \Delta_V \cos[q_0 (u_{\alpha} - u_{\beta})] \right] \quad (3)$$

where $\Delta_V = 2|\psi_0|^2 \tilde{\Delta}_V$. At length scales smaller than a crossover length scale ξ_{\perp}^c (to be defined below), the behaviour is that of a smectic pinned by *isotropic* unstrained aerogel [2]. On longer length scales, however, the behaviour crosses over to that of the RFX model. We therefore predict that smectics pinned by such anisotropic weak disorder will exhibit the *XYBG* phase, with its universal *disorder*-induced logarithmic layer wandering character, $\langle (u(\mathbf{r}) - u(0))^2 \rangle = C(d) (\ln r) / q_0^2$ [3]. However, unlike *3D bulk* smectics, which exhibit *thermally* driven $\ln r$ fluctuations, here $C(d)$ is *universal*, the logarithm persists for all of $2 < d < 4$, and the smectic layers are pinned. The immediate consequence is that x-ray scattering will exhibit real-space power-law decay $\langle \rho_G(\mathbf{r}) \rho_{-G}(\mathbf{0}) \rangle \propto r^{-\eta(G)}$ with *universal* $\eta(G)$ exponents ($G = mq_0$).

If, instead, the aerogel is uniaxially *compressed*, i.e., $\gamma > 0$, we expect that one of the (previously soft) smectic \mathbf{r}_{\perp} -axes (x or y) will orient along the axis of compression \hat{e}_h (figure 1(b)). We denote this \hat{e}_h -directed axis as ‘*hard*’ (h), and call the other \perp axis, orthogonal to \hat{e}_h , the ‘*soft*’ (s) axis, i.e., $\mathbf{r}_{\perp} = (\mathbf{r}_h, \mathbf{r}_s)$. The resulting effective Hamiltonian describing this system at long length scales is

$$H_{m=1} = \frac{1}{2} \int d^d \mathbf{r} \left[\sum_{\alpha=1}^n K (\nabla_{\perp}^2 u_{\alpha})^2 + B \left(\partial_z u_{\alpha} - \frac{1}{2} (\nabla_{\perp} u_{\alpha})^2 \right)^2 + \gamma (\nabla_h u_{\alpha})^2 - \sum_{\alpha, \beta=1}^n \frac{\Delta}{T} (\nabla_{\perp} u_{\alpha}) \cdot (\nabla_{\perp} u_{\beta}) \right] \quad (4)$$

where we have neglected the positional random-field disorder, Δ_V , which can be shown to be subdominant at long length scales [4]. $H_{m=1}$, equation (4), implies that the noninteracting propagator

$$G_{\alpha\beta}(\mathbf{q}) \equiv V^{-1} \langle u_{\alpha}(\mathbf{q}) u_{\beta}(-\mathbf{q}) \rangle_0 = T G(\mathbf{q}) \delta_{\alpha\beta} + \Delta q_{\perp}^2 G(\mathbf{q})^2$$

with $G(\mathbf{q}) \equiv 1 / (K q_{\perp}^4 + \gamma q_h^2 + B q_z^2)$. As usual, at long length scales, the disorder (Δ) contribution to layer roughness dominates over the thermal (T) part of $G_{\alpha\beta}(\mathbf{q})$.

We first note that for vanishing strain $\gamma \rightarrow 0$, or equivalently at very short length scales, $H_{m=1}$ and the corresponding propagator reduce to those characterizing a smectic in *unstrained isotropic* aerogel [2]. The asymptotic long-length-scale behaviour of the full model described by $H_{m=1}$ is reached via two independent crossovers from the Gaussian, unstrained fixed point, during which the aerogel anisotropy γ and the nonlinear elasticity become important. The qualitative form of this crossover is determined by the relative magnitudes of the corresponding bare couplings. For sufficiently weak strain ($\gamma < \gamma_c$), the elastic anharmonicity becomes important first and this occurs at a crossover length scale

$$\tilde{\xi}_{\perp}^{NL} \propto \left(\frac{K^{5/2}}{B^{1/2}\Delta} \right)^{1/(5-d)}$$

determined by the smectic in *unstrained* aerogel [2]. In this case the system first crosses over from the unstrained Gaussian to an *unstrained* anomalous fixed point. The final crossover to asymptotic *strained* anomalous behaviour takes place within the anomalously elastic smectic described by the wavevector-dependent elastic constants [2] and occurs at \mathbf{q}_{\perp} such that $\tilde{K}(\mathbf{q}_{\perp})q_{\perp}^4 \approx \gamma q_{\perp}^2$, with $\tilde{K}(\mathbf{q}_{\perp})$ calculated in reference [2], i.e. at $\xi_{\perp}^c \approx [K/(\gamma(\tilde{\xi}_{\perp}^{NL}))^{\tilde{\eta}_K}]^{1/(2-\tilde{\eta}_K)}$ (we use the tilde for exponents for *isotropic* disorder).

For the remainder of this paper we will focus on the other crossover scenario in which the strain γ is sufficiently large ($\gamma > \gamma_c$) that the crossover from Gaussian unstrained to Gaussian strained elasticity takes place at $\xi_{\perp}^c = \sqrt{K/\gamma}$, *before* elastic nonlinearities become important. The critical value of γ that demarcates between these two crossover scenarios is $\gamma_c = K/(\tilde{\xi}_{\perp}^{NL})^2$.

For $\gamma > \gamma_c$, on length scales longer than $\xi_{\perp}^c = \sqrt{K/\gamma}$ the effective Hamiltonian (and the propagator G derived from it) is identical to that given in equation (4), but with all ∇_{\perp} replaced by ∇_s , with r_s a subset of r_{\perp} -axes remaining soft even in the presence of aerogel anisotropy. Our goal then is to assess the role of elastic nonlinearities, at this new *strained* Gaussian fixed point, which become important beyond an even longer nonlinear crossover length scale ξ_s^{NL} (along the ‘soft’ direction).

The length scale ξ_s^{NL} can be determined from a simple perturbation theory in these nonlinear couplings of $H_{m=1}$, and is the length at which the effects of anharmonic elastic terms become significant. For $d < d_{uc} = 7/2$, the corrections to the smectic elastic constants grow with system size and become significant for ‘soft’ length scales $> \xi_s^{NL}$, signalling the breakdown of conventional harmonic elasticity. We find

$$\xi_s^{NL} = \left(\frac{2\pi(7-2d)K^{(7-d)/2}\gamma^{(d-2)/2}}{C_{d-1}\beta_{d-1}\Delta B^{1/2}} \right)^{1/(7-2d)}. \quad (5)$$

The constant $C_d = 2\pi^{d/2}/((2\pi)^d\Gamma(d/2))$ and $\beta_d = \Gamma(d/2)\Gamma(3-d/2)/2$. The corresponding lengths along the z - and h -axes are given by $\xi_z^{NL} = (\xi_s^{NL})^2/\lambda_B$ and $\xi_h^{NL} = (\xi_s^{NL})^2/\lambda_{\gamma}$, where $\lambda_B \equiv (K/B)^{1/2}$ and $\lambda_{\gamma} \equiv (K/\gamma)^{1/2}$.

To go beyond these crossover length scales $\xi_{z,h,s}^{NL}$ we use the renormalization group (RG) with an $\epsilon = 7/2 - d$ expansion. We find a nontrivial, glassy, $T = 0$ fixed point, leading to strong disorder-generated power-law anomalous elasticity that dominates over the unmeasurably weak thermally generated (logarithmic) anomalous elasticity [6]. One consequence of the anomalous elasticity is that the long-length-scale elastic constants K , B and the disorder variance Δ become wavevector dependent:

$$K(\mathbf{k}) = K k_s^{-\eta_K} f_K(k_h/k_s^{\zeta_h}, k_z/k_s^{\zeta_z}) \quad (6)$$

$$B(\mathbf{k}) = B k_s^{\eta_B} f_B(k_h/k_s^{\zeta_h}, k_z/k_s^{\zeta_z}) \quad (7)$$

$$\Delta(\mathbf{k}) = \Delta k_s^{-\eta_{\Delta}} f_{\Delta}(k_h/k_s^{\zeta_h}, k_z/k_s^{\zeta_z}) \quad (8)$$

(note that γ is not anomalous), with the anisotropy exponents $\zeta_z \equiv 2 - (\eta_B + \eta_K)/2$ and $\zeta_h \equiv 2 - \eta_K/2$. The exponents obey

$$7 - 2d + \eta_\Delta = \frac{\eta_B}{2} + \frac{7-d}{2}\eta_K \quad (9)$$

exactly, due to the underlying *exact* rotational invariance of equation (4) about \hat{e}_h . To leading order in $\epsilon = 7/2 - d$, $\eta_K = 16\epsilon/15 = 8/15$, $\eta_B = 12\epsilon/15 = 2/5$, and $\eta_\Delta = 2\epsilon/15 = 2/15$, the last equalities holding for $d = 3$ ($\epsilon = 1/2$). Since $\epsilon = 1/2$ is quite small, we expect these exponents to be quantitatively accurate.

A different analytical continuation to d dimensions, in which there are $d - 2$ soft coordinates r_s and only a single hard axis, leads to an $\hat{\epsilon} \equiv 4 - d$ expansion. The corresponding exponents are given by $\hat{\eta}_K = 3\hat{\epsilon}/8 = 3/8$, $\hat{\eta}_B = 3\hat{\epsilon}/4 = 3/4$, and $\hat{\eta}_\Delta = \hat{\epsilon}/8 = 1/8$, with good agreement for $d = 3$ (except for η_B) with the $\epsilon = 7/2 - d$ expansion results. The exact exponent relation for the $\hat{\epsilon} = 4 - d$ expansion is given by $4 - d + \hat{\eta}_\Delta = \hat{\eta}_B/2 + 2\hat{\eta}_K$ and reassuringly agrees with equation (9) for $d = 3$.

Further accuracy can be gained by weighted averaging of the $7/2 - d$ and $4 - d$ expansions, according to $\eta_{K,\Delta} \rightarrow (4\eta_{K,\Delta} + \hat{\eta}_{K,\Delta}^*)/5$. The factor of 4 reflects the higher accuracy of the $7/2 - d = \epsilon$ expansion. The prediction for η_B is then made using the exact scaling relation, giving, for $d = 3$, $\eta_K = 0.50$, $\eta_B = 0.26$, and $\eta_\Delta = 0.13$.

We now study the translational and orientational order in the presence of this strong disorder-driven anomalous elasticity. The former is characterized by the growth of smectic layer roughness with, e.g., r_s :

$$C(r_s) \equiv \overline{\langle (u(r_s, 0_h, 0_z) - u(0_s, 0_h, 0_z))^2 \rangle} = \int \frac{d^3k}{(2\pi)^3} 2(1 - \cos(k_s r_s)) \Delta(\mathbf{k}) k_\perp^2 G^2(\mathbf{k}) \quad (10)$$

from which the translational correlation length ξ_s^X (the inverse of the x-ray diffraction peak width), can be computed via the condition $C(r_s = \xi_s^X) \equiv a^2$, with a the smectic layer spacing. ξ_s^X is determined by the relative order of many crossover length scales. For $\xi_s^X < \xi_\perp^c$, ξ_s^X is identical to that due to *isotropic* disorder [2]. For $\xi_s^X > \xi_\perp^c$, there are three possibilities, depending on whether the anomalous elasticity sets in before or after the layer roughness reaches a , and whether the isotropic-to-anisotropic crossover takes place near the harmonic or the anomalous elastic fixed point:

$$\xi_s^X = \begin{cases} \xi_s^{NL} \left(\frac{a}{\lambda_B} \right)^2 & \xi_\perp^c < \xi_s^X < \xi_s^{NL}, \gamma > \gamma_c \\ \xi_s^{NL} \left(\frac{a}{\lambda_B} \right)^{2/(\eta_B + \eta_K)} & \xi_\perp^c < \xi_s^{NL} < \xi_s^X, \gamma > \gamma_c \\ \xi_\perp^c \left(\frac{a}{\lambda_B} \right)^{2/(\eta_B + \eta_K)} \left(\xi_\perp^c / \tilde{\xi}_\perp^{NL} \right)^{(\tilde{\eta}_B + \tilde{\eta}_K)/(\eta_B + \eta_K)} & \tilde{\xi}_\perp^{NL} < \xi_\perp^c < \xi_s^X, \gamma < \gamma_c. \end{cases} \quad (11)$$

From these correlation lengths we see that it is the ratio a/λ_B which determines whether ξ_s^X lies in a length-scale regime in which anharmonic effects are important. For small B , $\lambda_B \gg a$, and anharmonic effects are unimportant. Note also that in the strained-length-scale regime, ξ_s^X will depend on B , K , Δ , and γ . Thus, one could test the predictions of equation (11) by measuring the dependence of ξ_s^X on the strength of the compression (i.e., γ) which could be adjusted directly. In all length-scale regimes, the x-ray correlation length is finite even as $T \rightarrow 0$, signalling the destruction of the conventional (quasi-) long-ranged translational smectic order.

As emphasized in reference [2], this lack of translational order does *not* imply that the low-temperature phase replacing the smectic is simply nematic (or isotropic). Our

detailed calculations [4] indicate that despite the lack of (quasi-) long-ranged smectic order, dislocation loops remain bound for weak *anisotropic* disorder, and therefore the low temperature phase replacing the smectic *must* be distinct from the nematic, separated from it by a thermodynamically sharp dislocation-unbinding phase transition. We call this low-temperature phase the ‘ $m = 1$ Bragg glass’.

The stability of this exotic glass phase is contingent upon our implicit assumption of long-ranged orientational (nematic) order. That this assumption is valid can be easily seen by computing $\overline{\langle |\delta \mathbf{n}|^2 \rangle} = \overline{\langle |\nabla u|^2 \rangle}$, and taking into account the wavevector-dependent elastic moduli $K(\mathbf{k})$ and $B(\mathbf{k})$ and disorder variance $\Delta(\mathbf{k})$, as given by equations (6), (7), and (8). There are unstrained and strained contributions to $\overline{\langle |\delta \mathbf{n}|^2 \rangle}$, arising from modes with $q_\perp > 1/\xi_\perp^c$ and $q_\perp < 1/\xi_\perp^c$, respectively. Using the corresponding anomalous exponents $\eta_K, \eta_B, \eta_\Delta$ [2] in the computation of the strained and unstrained parts, for finite strain γ and weak disorder Δ , we indeed find long-ranged orientational order. In the weak-strain limit ($\gamma < \gamma_c$), the unstrained part dominates, in 3D scaling in a *universal* way with strain γ and disorder Δ as $(\Delta^\mu/\gamma^{\mu-1})$, where $\mu = \tilde{\eta}_B/(2 - \tilde{\eta}_K)$. Using reference [2], we estimate μ to be 3/2. Since $\overline{\langle |\delta \mathbf{n}|^2 \rangle}$ can therefore get arbitrarily large at small γ and large Δ , we expect our system to be in the orientationally disordered liquid phase in this range of parameters. On the other hand, for large γ and small Δ the system will exhibit long-ranged orientational order and will therefore be in the $m = 1$ BG phase (as in figure 2(a)). In analogy with the Lindemann criterion for melting, the phase boundary is roughly determined by the condition $\overline{\langle |\delta \mathbf{n}|^2 \rangle} \approx O(1)$. This leads to the phase boundary quoted in equation (1), and shown in figure 2(a).

On the other hand, rather than rely on the untrustworthy (in 3D) $5 - \epsilon$ expansion, which predicts no SBG for isotropic ($\sigma = 0$) disorder [2], we can infer the topology of the phase diagram on the basis of preliminary experimental evidence [5], which suggests the stability of the SBG for weak isotropic disorder. This suggests that the $m = 1$ BG extends all the way down to vanishing strain, $\sigma > 0$, as illustrated in figure 2(b).

Light scattering, which measures the director correlation $\overline{\langle \delta n_i(\mathbf{q}) \delta n_j(-\mathbf{q}) \rangle}$ provides an independent means of testing the predictions of the theory. Finally, since anomalous elasticity also implies a nonlinear stress–strain relation at arbitrarily weak stress, our predictions for it can be independently probed in an a.c. acoustic experiment, searching for an unusually large second-harmonic response.

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